

# Lecture 33

CSE 331

Nov 15, 2019

# HW 9 out

## Homework 9

Due by **11:00am, Friday, November 22, 2019**.

Make sure you follow all the [homework policies](#).

All submissions should be done via [Autolab](#).

### Question 1 (Ex 2 in Chap 6) [50 points]

#### The Problem

Exercise 2 in Chapter 6. The part **(a)** and **(b)** for this problem correspond to the part **(a)** and part **(b)** in Exercise 2 in Chapter 6 in the textbook.

#### Sample Input/Output

See the textbook for a sample input and the corresponding optimal output solution.

#### Hint

# HW 8 solutions

At the end of the lecture

# HW 7 Grading

*Hopefully* by tonight

# Coding project Java templates

note ☆ stop following 59 views

## Please re-download Java zips for Problem 1-4

If you are not using Java for your mini-project, then you can safely ignore this post. Otherwise read-on.

tl;dr: **Please download the Java zips for Problem 2-5 and work on the updated zips from now on.**

Longer version: There was a bug in the template code that could show a different revenue for your solution than the revenue on Autolab. (*The grader code on Autolab has been fine and so no need to worry about your scores on Autolab changing.*) The updated zips should fix this and issue and you should now see the same revenue on both the template and Autolab.

If you are still reading: the issue at a high level was the following-- if your code was changing the input (e.g. re-sorting the clients for P2), then the Autolab grader code was ignoring these changes (as it should). Unfortunately, the previous template code was **not** ignoring these changes, leading to a discrepancy between the revenue from the template code and Autolab. Anyhow, this should be fixed now!

#pin

coding\_mini\_project

edit · good note | 0

Updated 16 hours ago by Atri Rudra

# Coding project Problem 2

Due in (bit less than) a week

# Questions?

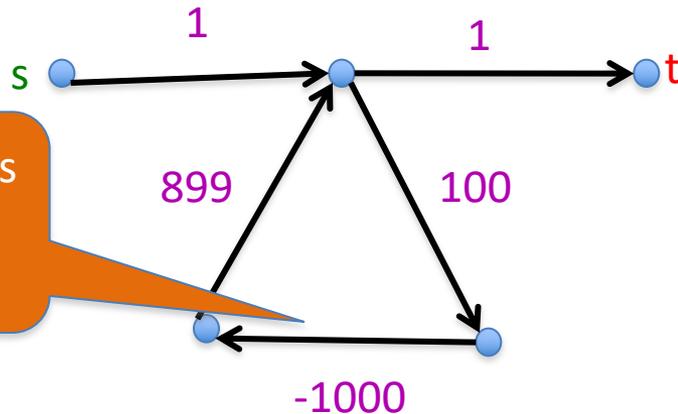


# Shortest Path Problem

Input: (Directed) Graph  $G=(V,E)$  and for every edge  $e$  has a cost  $c_e$  (can be  $<0$ )

$t$  in  $V$

Output: Shortest path from every  $s$  to  $t$

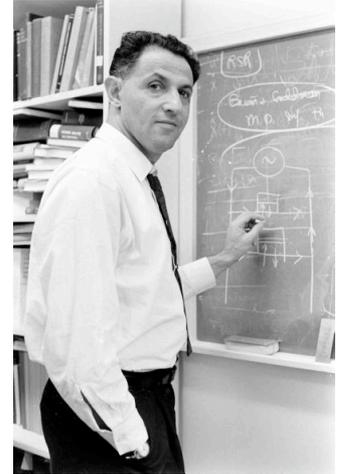


Shortest path has cost negative infinity

Assume that  $G$  has no negative cycle

# When to use Dynamic Programming

There are polynomially many sub-problems



Richard Bellman

Optimal solution can be computed from solutions to sub-problems

There is an ordering among sub-problem that allows for iterative solution

# Today's agenda

Bellman-Ford algorithm

Analyze the run time

# The recurrence

$OPT(u,i)$  = shortest path from  $u$  to  $t$  with at most  $i$  edges

$$OPT(u,i) = \min \left\{ OPT(u,i-1), \min_{(u,w) \in E} \left\{ c_{u,w} + OPT(w, i-1) \right\} \right\}$$

# Some consequences

$OPT(u,i)$  = cost of shortest path from  $u$  to  $t$  with at most  $i$  edges

$$OPT(u,i) = \min \left\{ OPT(u, i-1), \min_{(u,w) \in E} \left\{ c_{u,w} + OPT(w,i-1) \right\} \right\}$$

$OPT(u,n-1)$  is shortest path cost between  $u$  and  $t$

Group talk time:  
How to compute the shortest  
path between  $s$  and  $t$  given all  
 $OPT(u,i)$  values