

Oct 11

Shortest Path problem

Input: Directed graph $G = (V, E)$
 $s \in V$

"lengths" $l_e \geq 0 \quad \forall e \in E$

int $\rightarrow$ required Dijkstra's algo

Output: $\forall t \in V$, output a shortest $s-t$ path

$$l(P) = \sum_{e \in P} l_e$$

path $\rightarrow$

distance from s to t (in G)

Simpler version: Output $d(t) \quad \forall t \in V$

$\rightarrow$ len of any shortest $s-t$ path

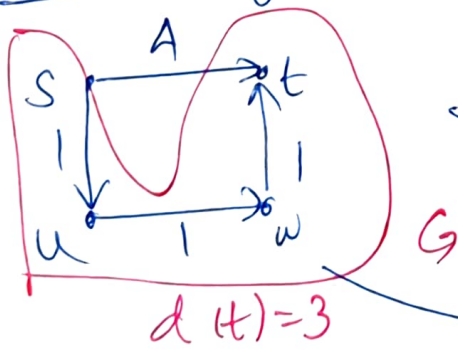
Special case: $l_e = 1 \quad \forall e \in E$ } also works when $l_e = L \quad \forall e$

Use HW3 Q3 algo (while ignoring the edge lengths)

General case:

Algo idea: Reduce the general case to case of $l_e = 1 \quad \forall e \in E$

Idea 1: Ignore all edge lengths.



ignore $l_e \rightarrow$

