

CSE241

Feb 3 (1)

integer

whole number

Signed number

$(70)_{10} \rightarrow (?)_2$

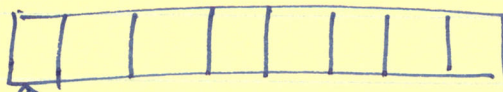
	70	Remainders
2	35	0
2	17	1
2	8	1
2	4	0
2	2	0
	1	0

(70)

$(1000110)_2$

+70

-70



+70

↑
sign

0 1 0 0 0 1 1 0

8 bits ⇒ 1 byte

binary digit

Sign

magnitude method
"value"

0 1 0 0 0 1 1 0 + 70

1 1 0 0 0 1 1 0 - 70

Signed arithmetic

CSE 241

Flb3 (2)

signed arithmetic

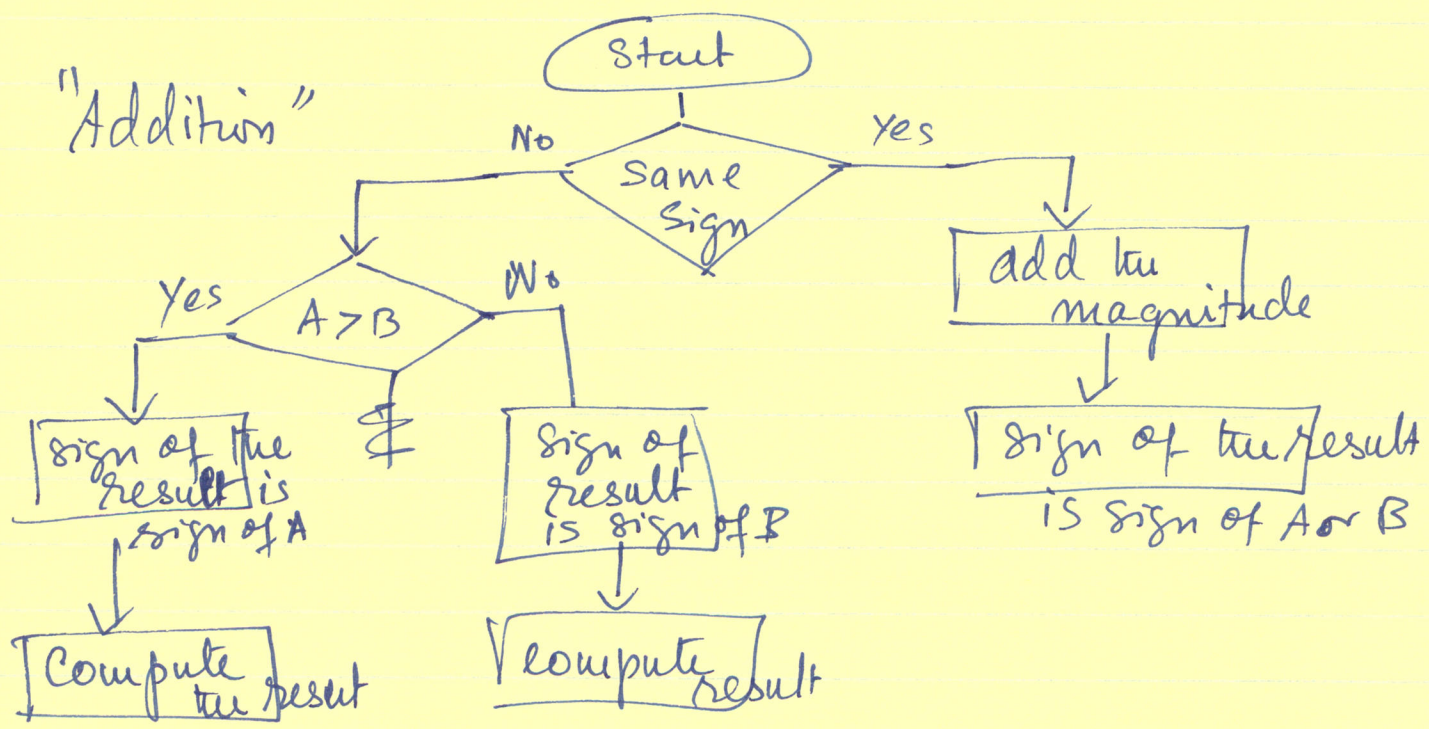
How am I going to perform addition

(ii) subtraction

with sign-magnitude representation

$A + B$

$A - B$



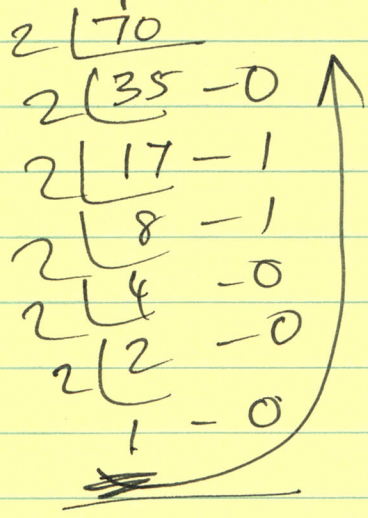
"Subtraction" of signed integers
That is another algorithm.

Is there an alternative way to represent signed numbers ~~so~~ so that "arithmetic" (addition, sub, mult, div) are simpler

what is that data representation?

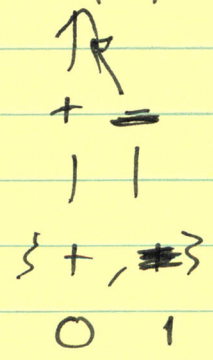
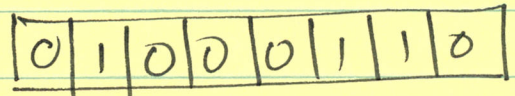
positive # \implies sign magnitude
 negative # \implies 2's complement
 radix=2 radix complement

Example: $(+70)_{10}$



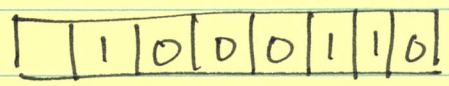
$(1000110)_2$

8 bit binary digit container

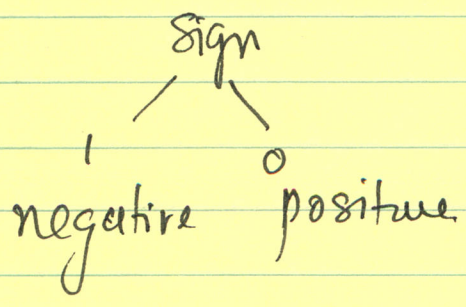


Sign magnitude

MSB



magnitude



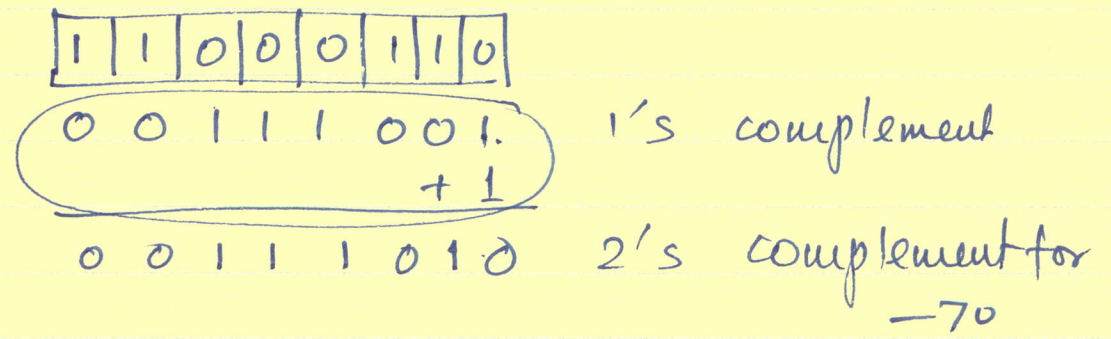
↑ How Am I going to Compute?

Feb 3 (3)

2's complement

1. convert decimal \rightarrow binary \checkmark
2. find 1's complement
 \rightarrow flip 1's \rightarrow 0's
 \rightarrow flip 0's \rightarrow 1's
3. add 1

8bit container -70



positive #	sign mag
negative #	2's complement

