

~~March~~ (1)
April 3, 2017

Learning
Problem solving
Using Sequential circuit Design:

HW#4 is posted & graded
We'll ~~return~~ return exams, hwks on Friday

Synthesis: Design and Implement
of Sequential circuit.

Problem statement: Build a counter that
counts $\{0, 1, 2, 3\}$

step 1: How many states? 4 states
How many FF (min.)? $\lceil \log_2(\text{states}) \rceil$
~~steps~~ what type of FF?
D-FF (T-FF) = $\lceil \log_2 4 \rceil$
JK-FF = $\lceil \log_2 2^2 \rceil$
= $\lceil 2 \log_2 2 \rceil$

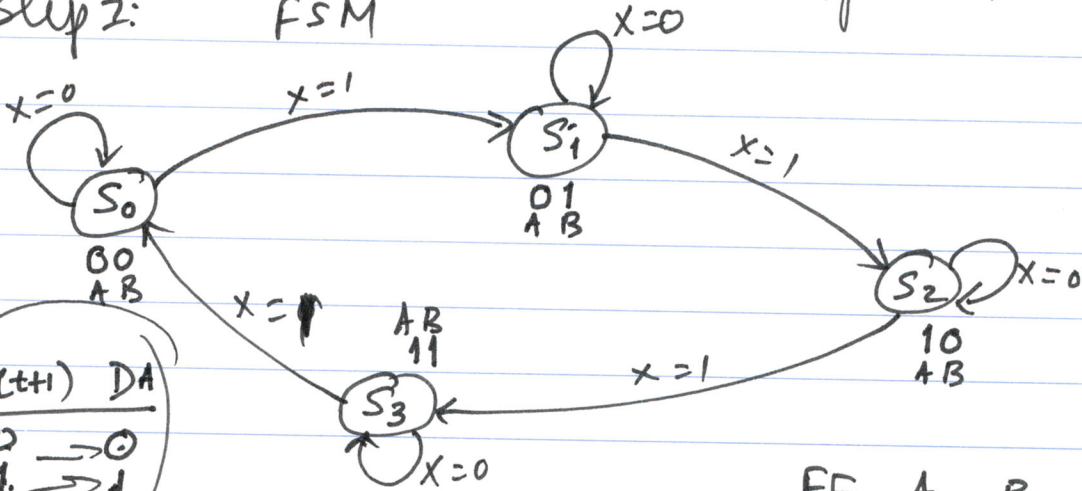
step 2: Draw the finite state
machine (FSM) or the state diagram

one of the UML (Unified
Modeling
Language)
design tools

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Step 2: FSM

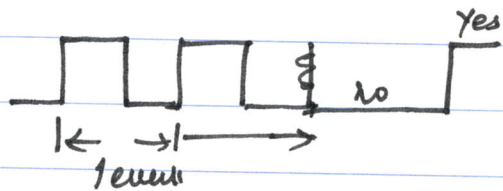


D-FF

Q(t)	Q(t+1)	DA
0	0	0
0	1	1
1	0	1
1	1	0

"coding the states"

x visualizing? event;



step 3: state table

current input next ~~input~~ FF inputs ~~output~~
~~A(t) B(t)~~ ~~A(t+1)~~ ~~B(t+1)~~ ~~DA~~ ~~DB~~

	current state		input	next		FF inputs	
	A(t)	B(t)		A(t+1)	B(t+1)	DA	DB
S ₀	0	0	0	0	0	0	0
	0	0	1	0	1	0	1
S ₁	0	1	0	0	1	0	1
	0	1	1	1	0	1	0
S ₂	1	0	0	1	0	1	0
	1	0	1	1	1	1	1
S ₃	1	1	0	1	1	1	1
	1	1	1	0	0	0	0

DA = ?

DB = ?

DA(A, B, x) = ?

DB(A, B, x) = ?

for D-FF

FF-input circuit is a combinational circuit and it drives the FF

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$$DA(A, B, x) = ? = \Sigma(3, 4, 5, 6)$$

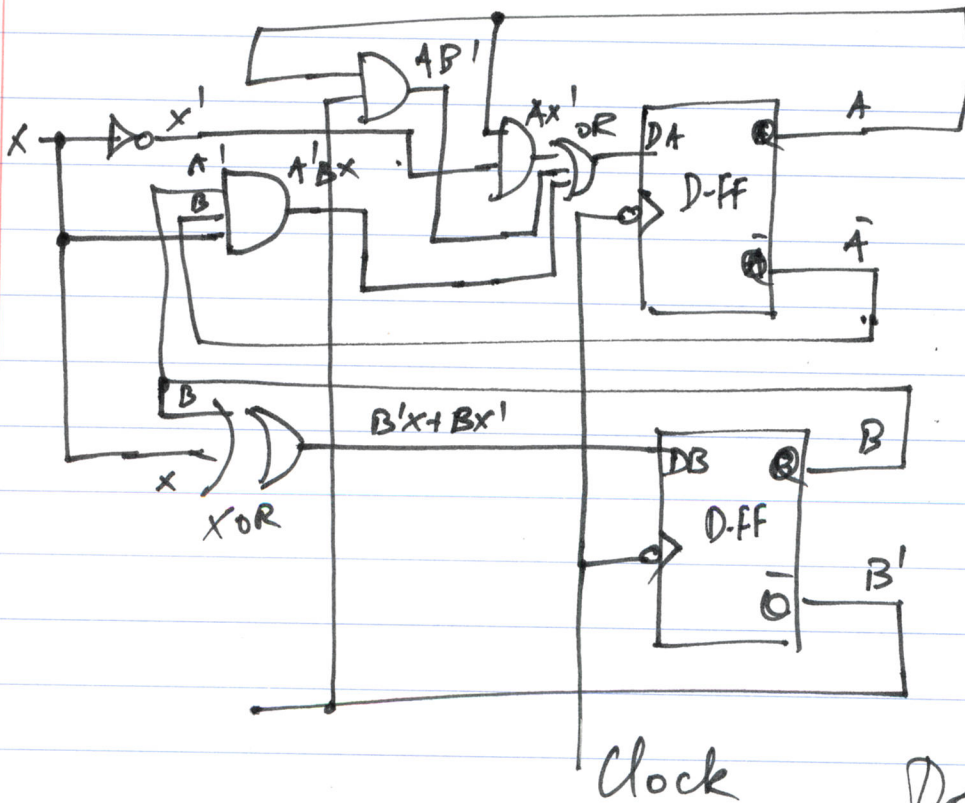
$$DB(A, B, x) = ? = \Sigma(1, 2, 5, 6)$$

	Bx			
A	00	01	11	10
0	0	1	1	0
1	1	1	0	1

$$DA = A'Bx + AB' + Ax'$$

	Bx			
A	00	01	11	10
0	0	1	1	0
1	1	1	0	1

$$DB = B'x + Bx'$$



Done

Problem #2:

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Repeat counter design $\{0, 1, 2, 3\}$ with JK-FF.

Q(t)	Q(t+1)	J	K
0	0	0	x
0	1	1	x
1	0	x	1
1	1	x	0

2 FF

2 JK FF

State diagram is same

State table.

Q(t)	Q(t+1)	J	K
0	0	0	0
0	0	0	1
0	1	1	0
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	0
1	1	0	0

Current state input next state FF inputs

A(t)	B(t)	x	A(t+1)	B(t+1)	JA	KA	JB	KB
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S0	0	0	0	0	0	0	x	0	x
	0	0	1	0	1	0	x	1	x
S1	0	0	0	0	1	0	x	x	0
	0	1	1	1	0	1	x	x	1
S2	1	0	0	1	0	x	0	0	x
	1	0	1	1	1	x	0	1	x
S3	1	1	0	1	1	x	0	x	0
	1	1	1	0	0	x	1	x	1

5x

A	00	01	11	10
0	0	1	1	1
1	x	x	x	x

x	x	x	x
x	1	1	1

5x

B	00	01	11	10
0	0	1	1	1
1	0	1	x	x

JA = $\Sigma(3)$

d = $\Sigma(4, 5, 6, 7)$

JA = Bx

KA = Bx

JB = x

x	x	1	0
x	x	1	0

KB = x

