### Database design problems with solutions

## Problem 1

Design an Entity-Relationship schema for a database of research projects. The database should contain the information about:

- projects: name, manager, budget, duration (in years), funding agency;
- employees: SSN, name, projects, salary;
- funding agencies: name, address.

Each project is funded by a single agency. Project names are unique within an agency. An employee can be associated with several projects. Managers are employees. You can make any other additional assumptions that make sense in the real world.

#### Solution.

The E-R schema:

- entity types:
  - Project (weak): attributes: Name (partial key), Budget, Duration, borrowed key Aname from Agency;
  - Employee: SSN (key), Name, Salary;
  - Manager;
  - Agency: Aname (key), Address.
- relationship types:
  - Manages(Manager, Project): 1:N;
  - Funding(Agency, Project): 1:N;
  - Employ(Project, Employee): N:M.
- **isa** relationships:
  - Manager **isa** Employee.

## Problem 2

Produce a relational schema in BCNF from the E-R schema obtained in Problem 1. If your approach is guaranteed to produce a schema in BCNF, then you do not have to check whether that condition holds. Identify the keys and foreign keys. Eliminate redundancies.

#### Solution.

The relational schema:

- PROJECT(Aname, Pname, Budget, Duration), foreign key Aname references AGENCY(Aname);
- EMPLOYEE(<u>SSN</u>,Ename,Salary);
- MANAGER(<u>SSN</u>), foreign key SSN references EMPLOYEE(SSN);

- AGENCY(<u>Aname</u>,Address);
- MANAGES(SSN,Aname,Pname); foreign key (Aname,Pname) references PROJECT(Aname,Pname);
- EMPLOY(<u>Aname,Pname,SSN</u>), foreign keys: (Aname,Pname) references PROJECT(Aname,Pname) and SSN references EMPLOYEE(SSN).

PROJECT and MANAGES can be merged to yield PROJECT (Aname, Pname, Budget, Duration, Manager).

# Problem 3

Let R(ABC) be a relation schema together with the set of dependencies  $F = \{C \to A, B \to A\}$ .

- 1. Find the keys of R and check whether R is in BCNF or 3NF. Prove the answers, using the appropriate definitions.
- 2. If R is not in BCNF, provide a lossless join decomposition of R into BCNF and check whether it preserves dependencies.

#### Solution.

One key BC. Show:  $BC \to ABC \in F^+$  (using Armstrong and derived axioms),  $B \to ABC \notin F^+$  (using counterexample),  $C \to ABC \notin F^+$  (using counterexample). One counterexample proof is enough.

R is not in BCNF (C and B does not contain a key) or 3NF (A is not a part of any key). Possible lossless join decompositions (each is acceptable):

- $\{BC, AC\} \text{ (loses } B \to A);$
- $\{BC, AB\} \text{ (loses } C \to A);$
- $\{BC, AB, AC\}$  (preserves entire F).

The decomposition  $\{AB, AC\}$  is not lossless join.