

Lecture 12

CSE 331

Feb 26, 2021

Connectivity Problem

Input: Graph $G = (V, E)$ and s in V

Output: All t connected to s in G

Breadth First Search (BFS)

Build layers of vertices connected to s

$$L_0 = \{s\}$$

Assume L_0, \dots, L_j have been constructed

L_{j+1} is the set of vertices not chosen yet but are connected by an edge to L_j

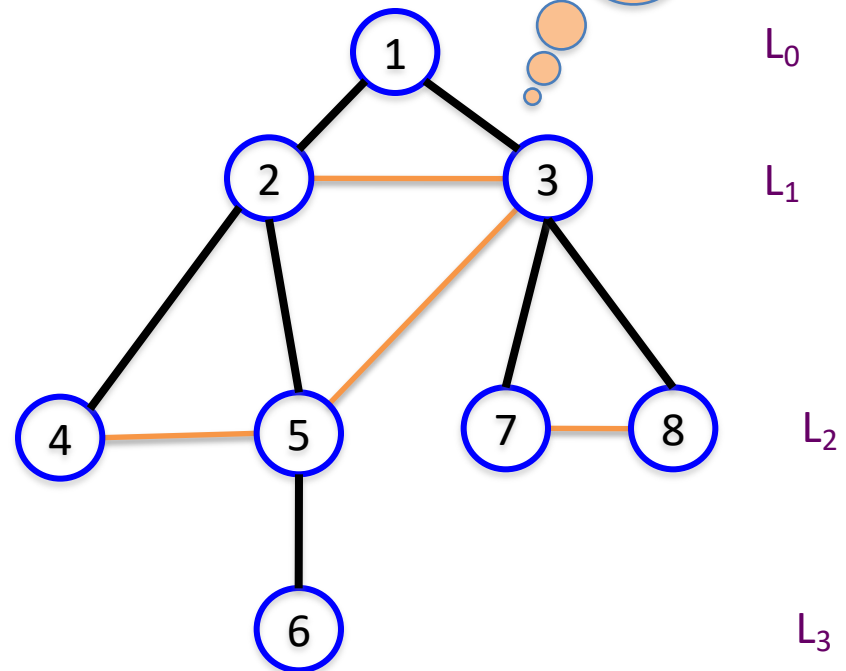
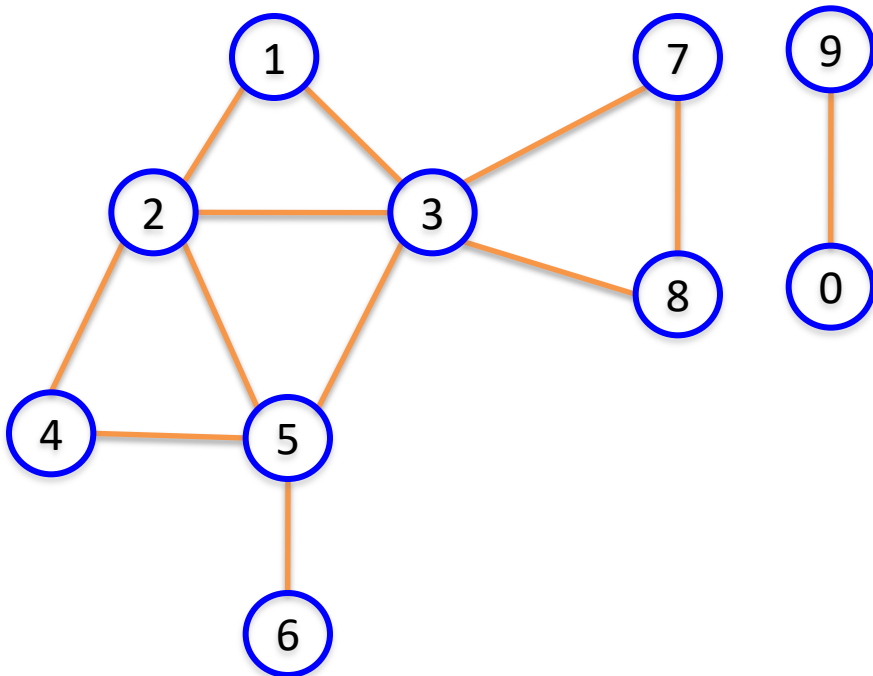
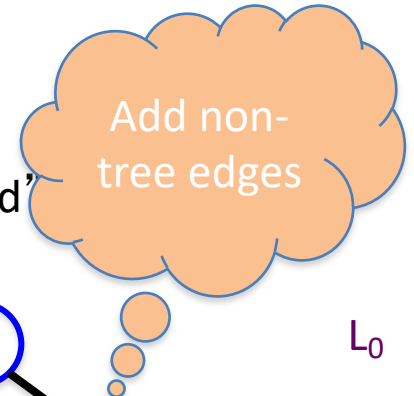
Stop when new layer is empty

BFS Tree

BFS naturally defines a tree rooted at s

L_j forms the j th “level” in the tree

u in L_{j+1} is child of v in L_j from which it was “discovered”



L_0

L_1

L_2

L_3

Two facts about BFS trees

All non-tree edges are in the same or consecutive layer

If u is in L_i then $\text{dist}(s,u) = i$

Today's agenda

Computing Connected component

Computing Connected Component



steve nash



kobe bryant



shaq o'neal



anthony davis



lebron james



kevin durant



kyrie irving



michael jordan



scottie pippen

Explore(s)

Start with $R = \{s\}$

While there is an edge (u,v) where u in R and v not in R

 Add v to R

Output $R^* = R$

Questions?