

Chess Research and Public Interests

New Faculty Academy 2026

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¹With grateful acknowledgment to co-authors Guy L. Haworth and Tamal Biswas, students in my graduate seminars, and UB's Center for Computational Research (CCR)

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- Then came the Topalov-Kramnik 2006 World Championship **Scandal**.

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- ⑦ Find **people** to **talk** to...and **compare** results.

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 - We will try to glean comparable insight from numerical analytics.

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- **Multiple-choice tests:** m_i are possible answers to a test question, $u_i = \text{gain/loss for right/wrong answer}$.

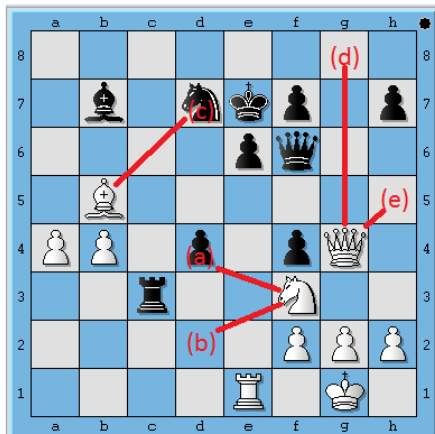
Chess and Tests—With Partial Credits (Or LLMs?)

The ____ of drug-resistant strains of bacteria and viruses has ____ researchers' hopes that permanent victories against many diseases have been achieved.

- (a) vigor . . . corroborated
- (b) feebleness . . . dashed
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(source: itunes.apple.com)

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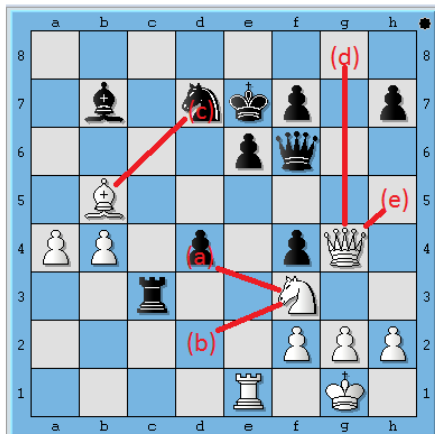
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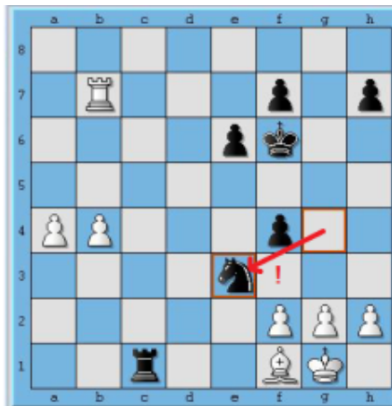
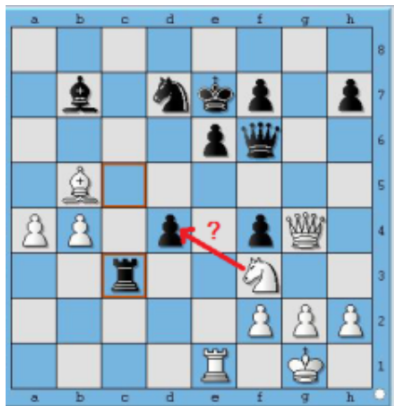
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Here (b,c) are **equal-optimal** choices, (a) is bad, but (d) and (e) are reasonable—worth part credit.

Move Utilities Example (Kramnik-Anand, 2008)



Depths...

Values by Stockfish 6

Move	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
Nd2	103	093	087	093	027	028	000	000	056	-007	039	028	037	020	014	017	000	006	000
Bxd7	048	034	-033	-033	-013	-042	-039	-050	-025	-010	001	000	-009	-027	-018	000	000	000	000
Qg8	114	114	-037	-037	-014	-014	-022	-068	-008	-056	-042	-004	-032	000	-014	-025	-045	-045	-050
...			
Nxd4	-056	-056	-113	-071	-071	-145	-020	-006	077	052	066	040	050	051	-181	-181	-181	-213	-213

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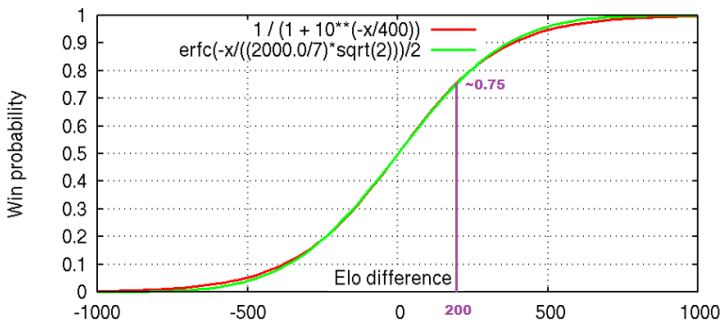
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- Expectation given by rating *difference* via this logistic curve:



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- Then $\delta_i = v_1 - v_i$ is difference to best move.
- Other than these, **my model knows nothing about chess**.

One Wonky Slide: Log-Linear Versus Loglog-Linear

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- In place of $\beta \delta_i$, I really have $\left(\frac{\delta_i - h \rho_i}{s}\right)^c$, with h tightly clamped.

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Fit s, c, h by making **T1, EV, ASD** be **unbiased estimators** on the training sets, which are stratified by Elo ratings.

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- Q & A — And Thanks.