

Closed book, no electronics, one notes sheet allowed but otherwise closed notes, closed neighbors, 75 minutes after 5-minute read-in period. *Show your work*, and explain your reasoning where it is naturally called for—doing so may help for partial credit. [This sample combines questions on my exams in 2005-07 when the course was taught in “Classic” style from the same text, and a mod of questions from last year’s midterm exam.]

**(1) (30 pts.)**

The following “EBNF fragment” could be part of a grammar for Java, although it omits access modifiers (like “public”), throws clauses, arrays, and qualified (i.e., dotted) class-or-interface names (CINAMEs). Literal commas and parens and `<` `>` are quoted to distinguish them from grammar notation, while `;` `&` `?` are literal characters. The grammar defines a syntax for prototypes of possibly-generic methods appearing in interfaces.

```

IMETHOD ::= ["<" TP{,TP} ">"] TYPE ID "(" [PARAM{" ," PARAM}] ")" ;
TP        ::= ID [extends CINAME{& CINAME}]
TA        ::= CINAME | ? extends CINAME | ? super CINAME
CINAME    ::= ID ["<" TA{,TA} ">"]           //real Java BNF allows dotted names
PARAM     ::= [final] TYPE ID               //real Java BNF allows arrays too
TYPE      ::= PRIMITIVE | CINAME | void    //and doesn't say "void" is a "type"
PRIMITIVE ::= int | long | short | float | double | char | byte | boolean
ID        ::= ---any valid identifier---
```

- (a) Taking `IMETHOD` as the start symbol, call the above grammar “ $G$ ”. For each of the following eight strings, say “yes” if it is derivable in  $G$ , and “no” if not. You need not show derivations or parse trees here—just the yes/no answer is enough—but scratchwork may help for partial credit if you’re wrong. ( $8 \times 3 = 24$  pts.)

- (i) `void foo(int x, ? extends Bar y);`
- (ii) `void foo(int x, Bar<? extends Star> y);`
- (iii) `Bar foo(Bar x, Bar<? extends Bar> y);`
- (iv) `void foo(Bar<int x, ? extends Star> y);`
- (v) `void foo(int x, Bar<T, ? extends Star> y);`
- (vi) `void foo(int x, Bar<T extends Star> y);`
- (vii) `<T extends Star> Bar foo(int x, Bar y);`
- (viii) `Bar<T extends Star> void foo(int x, Bar y);`

- (b) It is not really proper to call `void` a “type” in Java, and method parameters cannot be `void`. Fix the “bug” by removing the option `TYPE ::= void`, and adding option(s) for different variable(s) to produce a “correct” grammar. (6 pts.)

**(2) (6+9+3 = 21 pts.)**

Consider the following expression in C/C++/Java. Note that these languages consider assignment to be an operator of lowest precedence and allow nested assignments.

```
x = y + (z = x + y) - z;
```

- (a) Write an expression tree for this expression. You must follow the rules of precedence and associativity in C/C++/Java, including those for = as a binary operator.
- (b) Now write a *parse tree* in the tiered grammar below. It resembles the the answer for HW2 problem (3) with assignment in place of rightshift, except that assignment is *right-associative*.
- (c) If one removes the (...) around (z = x + y), the code fails to compile. Why?

```
A ::= E | E = A
E ::= T | E+T | E-T
T ::= F | T*F | T/F | T%F
F ::= -F | (A) | any-constant-or-variable.
```

**(3) (12+6 = 18 pts.)**

Suppose we have the following code with nested declarations inside different referencing environments:

```
class Bar {
  String x = "Bar.x";
  String y = "Bar.y";
  void foo1() {
    String x = "Foo1.x";
    y = x;
    foo2();
  }
  void foo2() {
    y = x;
  }
  ...
}
```

- (a) For each occurrence of x and y in the two assignment statements `y = x;`, say which of the three declarations it refers to. You should have 4 separate answers.
- (b) If `foo1()` is called, what is the final value of y?

(4) (3+6+6+3 = 18 pts.)

Consider the following OCaml code:

```
let rec slide(f, ell) = match ell with
  [] -> 0
  | n::rest -> (f n) + slide(f, rest)
```

- (a) What is the type of the list `ell`?
- (b) What must the type of the passed-in function `f` be?
- (c) What is the type of the whole higher-order function `slide`?
- (d) What is the final value when `f` is the identity function (that is, `let f n = n`) and `ell` is the list `[3;4;5;6]`?

(5) (4+9 = 13 pts.)

Consider the following OCaml code:

```
type element = Window | Door | Other
```

```
let build (x,room) =
  match x with
  | Window -> "window"::room
  | Door -> "door"::room
  | _ -> "other"::room
```

- (a) What is the type of the function `build`? Your choices are:

```
element * string -> string
string * string -> string list
element -> string list -> string list
element * string list -> string list
element -> element list
element -> string list -> element list
```

- (b) Now write a recursive function that given a pair  $(m,n)$  builds a list with  $m$  `Window` objects and  $n$  `Door` objects. When  $m = n = 0$  it just returns an empty list. The order you build the list in does not matter.

END OF EXAM