

A deterministic finite automaton (DFA) is a 5-tuple $M = (Q, \Sigma, \delta, s, F)$ where:

Q is a finite set of states

Σ is a finite alphabet

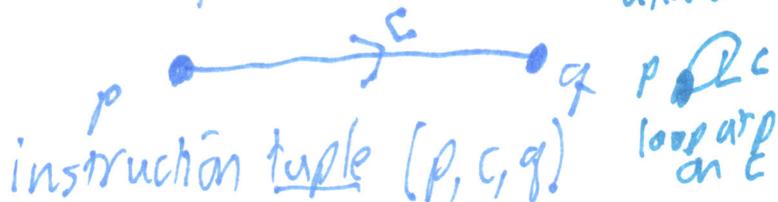
s , a member of Q , is the start state

F , a subset of Q , is the set of
 { accepting states
 { desired final },

and δ is a function from $Q \times \Sigma$ to Q .

$$\delta: Q \times \Sigma \rightarrow Q \quad \begin{matrix} \text{Example} \\ \text{value} \end{matrix}$$

$$\delta(p, c) = q \quad \begin{matrix} p = q \\ \text{allowed.} \end{matrix}$$



The rest of the lecture was a demo of the "Turing Kit" software for a DFA (and TM).

Type State can be int or anything else.

class DFA {

Set<State> Q;

Set<char> Sigma;

State s; // start state

Set<State> F; // final states

State delta(State p, char c);

State (*delta)(State p, char c,
function pointer with instance-given code)

}; ↑ fine, but more general is:

set<tuple> delta, where

tuple = pair(pair(state, char), state)

This defines a nondeterministic finite automaton (NFA).

It is a DFA when the set of tuples has the property that for all $p \in Q$ and $c \in \Sigma$, there is exactly one $q \in Q$ st. $(p, c, q) \in \delta$.