# CSE 486/586 Distributed Systems Security --- 1

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#### **Security Threats**

- Leakage: An unauthorized party gains access to a service or data.
  - Attacker obtains knowledge of a withdrawal or account halance
- Tampering: Unauthorized change of data, tampering with a service
  - Attacker changes the variable holding your personal checking \$\$ total
- Vandalism: Interference with proper operation, without gain to the attacker
  - Attacker does not allow any transactions to your account

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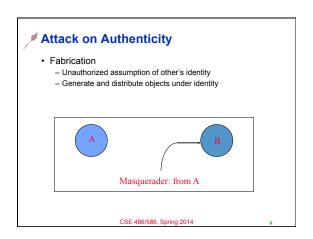
## Security Properties

- Confidentiality: Concealment of information or resources
- Authenticity: Identification and assurance of origin of info
- Integrity: Trustworthiness of data or resources in terms of preventing improper and unauthorized changes
- · Availability: Ability to use desired info or resource
- Non-repudiation: Offer of evidence that a party indeed is sender or a receiver of certain information
- Access control: Facilities to determine and enforce who is allowed access to what resources (host, software, network, ...)

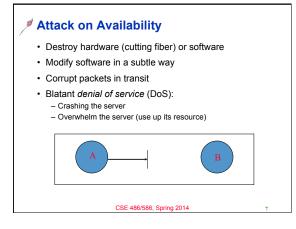
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# Attack on Integrity • Tampering - Stop the flow of the message - Delay and optionally modify the message - Release the message again A Perpetrator CSE 486/586, Spring 2014



C 1



#### **Designing Secure Systems**

- Your system is only as secure as your weakest component!
- Need to make worst-case assumptions about attackers:
  - exposed interfaces, insecure networks, algorithms and program code available to attackers, attackers may be computationally very powerful
  - Tradeoff between security and performance impact/difficulty
  - Typically design system to withstand a known set of attacks (Attack Model or Attacker Model)
- · It is not easy to design a secure system.
- · And it's an arms race!

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#### CSE 486/586 Administrivia

- · PA4 is out.
  - Deadline: 5/9 (Friday)

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## Cryptography

- · Comes from Greek word meaning "secret"
  - Primitives also can provide integrity, authentication
- Cryptographers invent secret codes to attempt to hide messages from unauthorized observers

 $\begin{array}{ccc} & \text{encryption} & & \text{decryption} \\ & \text{plaintext} & \longrightarrow & \text{ciphertext} & \longrightarrow & \text{plaintext} \end{array}$ 

ext cipnertext

- Modern encryption:
  - Algorithm public, key secret and provides security
  - May be symmetric (secret) or asymmetric (public)
- Cryptographic algorithms goal
  - Given key, relatively easy to compute
  - Without key, hard to compute (invert)
  - "Level" of security often based on "length" of key

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**Three Types of Functions** 

- · Cryptographic hash Functions
  - Zero keys
- Secret-key functions
- One key
- Public-key functions
  - Two keys

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# **Cryptographic Hash Functions**

- Take message, m, of arbitrary length and produces a smaller (short) number, h(m)
- Properties
  - Easy to compute h(m)
  - Pre-image resistance: Hard to find an m, given h(m)
  - » "One-way function"
  - Second pre-image resistance: Hard to find two values that hash to the same h(m)
  - » E.g. discover collision: h(m) == h(m') for m! = m'
  - Often assumed: output of hash fn's "looks" random

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C 2

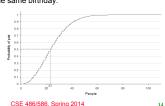
#### **How Hard to Find Collisions?**

- Birthday paradox
  - In a set of *n* random people, what's the probability of two people having the same birthday?
  - Calculation
    - Compute probability of different birthdays
    - Random sample of *n* people taken from *k*=365 days

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# **Birthday Paradox**

- Probability of no repetition:
  - $-P = 1 (1) (1 1/365) (1 2/365) (1 3/365) \dots (1 (n-1)/365)$ 365)
  - $-(k = \# of slots, e.g., 365) P \approx 1 e^{-(n(n-1)/2k)}$
  - For p, it takes roughly sqrt(2k \*  $\ln(1/(1-p))$ ) people to find two people with the same birthday.
- With p = 50%,



#### **How Many Bits for Hash?**

- If *m* bits, how many numbers do we need to find (weak) collision?
  - It's not 2m!
  - It takes  $2^{m/2}$  to find weak collision
  - Still takes 2<sup>m</sup> to find strong (pre-image) collision
- 64 bits, takes  $2^{32}$  messages to search
- MD5 (128 bits) considered too little
- SHA-1 (160 bits) getting old

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#### **Example: Password**

- · Password hashing
  - Can't store passwords in a file that could be read
  - Concerned with insider attacks!
- · Must compare typed passwords to stored passwords - Does hash (typed) === hash (password)?
- Actually, a salt is often used: hash (input || salt)
  - Avoids precomputation of all possible hashes in "rainbow tables" (available for download from file-sharing systems)

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# Symmetric (Secret) Key Crypto

- Also: "conventional / private-key / single-key"
  - Sender and recipient share a common key
  - All classical encryption algorithms are private-key
  - Dual use: confidentiality (encryption) or authentication/ integrity (message authentication code)
- · Was only type of encryption prior to invention of public-key in 1970's
  - Most widely used
  - More computationally efficient than "public key"

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**Symmetric Cipher Model** Encryption algorithm (e.g., DES) CSE 486/586, Spring 2014

С 3

#### Requirements

- Two requirements
  - Strong encryption algorithm
  - Secret key known only to sender/receiver
- Goal: Given key, generate 1-to-1 mapping to ciphertext that looks random if key unknown
  - Assume algorithm is known (no security by obscurity)
  - Implies secure channel to distribute key

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#### **Uses**

- Encryption
  - For confidentiality
  - Sender: Compute C = AES<sub>K</sub>(M) & Send C
  - Receiver: Recover M = AES' <sub>K</sub>(C)
- · Message Authentication Code (MAC)
  - For integrity
  - Sender: Compute H = AES<sub>K</sub>(SHA1 (M)) & Send <M, H>
  - Receiver: Computer H' = AES<sub>k</sub>(SHA1 (M)) & Check H' == H

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20

#### **Public (Asymmetric) Key Crypto**

- · Developed to address two key issues
  - Key distribution: secure communication without having to trust a key distribution center with your key
  - Digital signature: verifying that a message comes from the claimed sender without prior establishment
- Public invention Diffie & Hellman in 1976
  - Known earlier to classified community

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#### **Public (Asymmetric) Key Crypto**

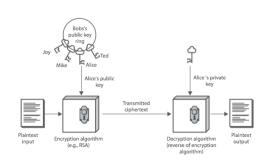
- · Involves two keys
  - Public key: can be known to anybody, used to encrypt and verify signatures
  - Private key: should be known only to the recipient, used to decrypt and sign signatures
- Asymmetric
  - Can encrypt messages or verify signatures w/o ability to decrypt msgs or create signatures
  - If "one-way function" goes c ← F(m), then public-key encryption is a "trap-door" function:

» Easy to compute  $c \leftarrow F(m)$ 

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22

# **Public (Asymmetric) Key Crypto**



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# **Security of Public Key Schemes**

- Like private key schemes, brute force search possible
  - But keys used are too large (e.g., >= 1024 bits)
- Security relies on a difference in computational difficulty b/w easy and hard problems
  - RSA: exponentiation in composite group vs. factoring
  - ElGamal/DH: exponentiation vs. discrete logarithm in prime group
  - Hard problems are known, but computationally expensive
- · Requires use of very large numbers
  - Hence is slow compared to private key schemes
  - RSA-1024: 80 us / encryption; 1460 us / decryption [cryptopp.com]
  - AES-128: 109 MB / sec = 1.2us / 1024 bits

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4

C 4

#### (Simple) RSA Algorithm

- Security due to cost of factoring large numbers

   Factorization takes O(e log n log log n) operations (hard)

  - Exponentiation takes O((log n)<sup>3</sup>) operations (easy)
- · To encrypt a message M the sender:
  - Obtain public key {e,n}; compute C = Me mod n
- · To decrypt the ciphertext C the owner:
  - Use private key  $\{d,n\}$ ; computes  $M = C^d \mod n$
- · Note that msg M must be smaller than the modulus n
- Otherwise, hybrid encryption:
  - Generate random symmetric key r
  - Use public key encryption to encrypt r
  - Use symmetric key encryption under r to encrypt M

#### **Typical Applications**

- · Secure digest
  - A fixed-length that characterizes an arbitrary-length
  - Typically produced by cryptographic hash functions, e.g., SHA-1 or MD5.
- · Digital signature
  - Verifies a message or a document is an unaltered copy of one produced by the signer
  - Signer: compute H = RSA<sub>K</sub>(SHA1(M)) & send <M, H>
  - Verifier: compute H' = SHA1(M) & verify RSA<sub>K'</sub>(H) == H'
- MAC (Message Authentication Code)
  - Digital signatures with secret keys
  - Verifies the authenticity of a message
  - Sender: compute H = AES<sub>K</sub>(SHA1 (M)) & send <M, H>
  - Receiver: computer H' = AES<sub>K</sub>(SHA1 (M)) & check H' == H

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#### **Summary**

- · Security properties
  - Confidentiality, authenticity, integrity, availability, non-repudiation, access control
- · Three types of functions
  - Cryptographic hash, symmetric key crypto, asymmetric key
- Applications
  - Secure digest, digital signature, MAC, digital certificate

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#### **Acknowledgements**

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С 5