

## CSE 486/586 Distributed Systems Byzantine Fault Tolerance

Steve Ko  
Computer Sciences and Engineering  
University at Buffalo

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### Recap

- Digital certificates
  - Binds a public key to its owner
  - Establishes a chain of trust
- TLS
  - Provides an application-transparent way of secure communication
  - Uses digital certificates to verify the origin identity
- Authentication
  - Needham-Schroeder & Kerberos

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### Byzantine Fault Tolerance

- Fault categories
  - Benign: failures we've been talking about
  - Byzantine: arbitrary failures
- Benign
  - Fail-stop & crash: process halted
  - Omission: msg loss, send-omission, receive-omission
  - All entities still follow the protocol
- Byzantine
  - A broader category than benign failures
  - Process or channel exhibits arbitrary behavior.
  - May deviate from the protocol
  - Processes can crash, messages can be lost, etc.
  - Can be malicious (attacks, software bugs, etc.)

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### Byzantine Fault Tolerance

- Result: with  $f$  faulty nodes, we need  $3f + 1$  nodes to tolerate their Byzantine behavior.
  - Fundamental limitation
  - Today's goal is to understand this limitation.
- How about Paxos (that tolerates benign failures)?
  - With  $f$  faulty nodes, we need  $2f + 1$ .
  - Having  $f$  faulty nodes means that as long as  $f + 1$  nodes are reachable, Paxos can guarantee an agreement.
  - This is the known lower bound for consensus with non-Byzantine failures.

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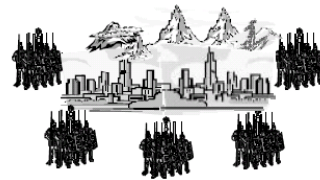
### “Byzantine”

- Leslie Lamport (again!) defined the problem & presented the result.
- *“I have long felt that, because it was posed as a cute problem about philosophers seated around a table, Dijkstra's dining philosopher's problem received much more attention than it deserves.”*
- *“At the time, Albania was a completely closed society, and I felt it unlikely that there would be any Albanians around to object, so the original title of this paper was The Albanian Generals Problem.”*
- *“...The obviously more appropriate Byzantine generals then occurred to me.”*

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### Introducing the Byzantine Generals

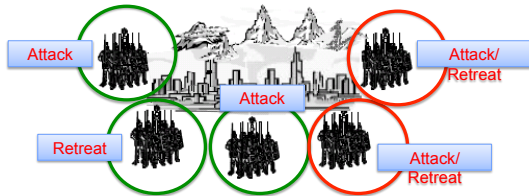


- Imagine several divisions of the Byzantine army camped outside of a city
- Each division has a general.
- The generals can only communicate by a messenger.

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## Introducing the Byzantine Generals



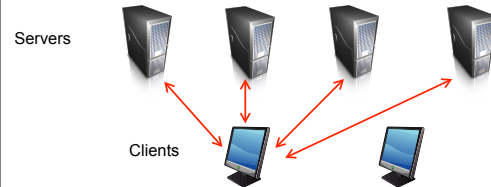
- They must decide on a common plan of action.
  - What is this problem?
- But, *some of the generals can be traitors.*

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## More Practical Setting

- Replicated Web servers
  - Multiple servers running the same state machine.
  - For example, a client asks a question and each server replies with an answer (yes/no).
  - The client determines what the correct answer is based on the replies.

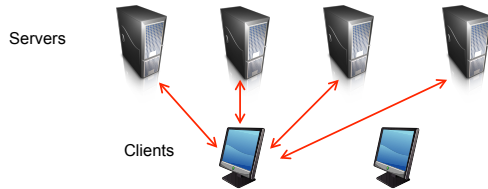


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## More Practical Setting

- $f$  Byzantine failures
  - At any point of time, there can be up to  $f$  failures.
- Many possibilities for a failure
  - A crashed process, a message loss, malicious behavior (e.g., a lie), etc., *but a client cannot tell which one it is.*
  - But in total, the maximum # of failures is bounded by  $f$ .

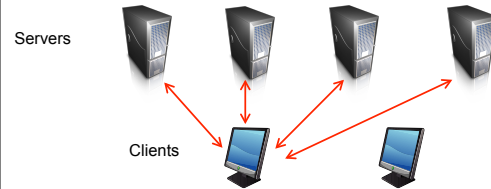


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## BFT Question

- Given  $f$ , how many nodes do we need to tolerate  $f$  Byzantine failures?
  - $f$  failures can be any mix of malicious servers, crashed servers, message losses, etc.
  - Malicious servers can do anything, e.g., they can lie (if yes, say no, if no, say yes).



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## CSE 486/586 Administrivia

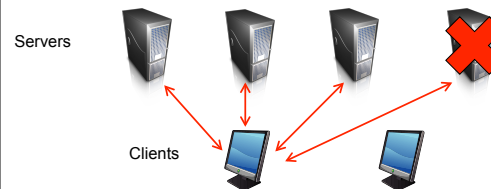
- PA4 due Friday next week
- Final: 5/15 (Friday), 11:45am – 2:45pm
  - NSC 201
  - Everything
  - *No restroom use* (this quickly becomes chaotic)

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## Intuition for the Result

- Let's say we have  $n$  servers, and maximum  $f$  Byzantine failures.
- What is the minimum # of replies that you are *always* guaranteed to get?
  - $n - f$
  - Why?  $f$  maximum failures can all be crashed processes

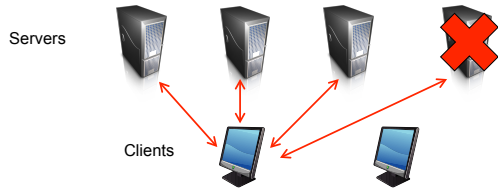


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### Intuition for the Result

- The problem is that a client does not know what kinds those  $f$  failures are.
- Upon receiving  $n - f$  replies (guaranteed), can the client tell if the rest of the replies will come?
  - No,  $f$  faults might all be crashed processes. But what does this mean?

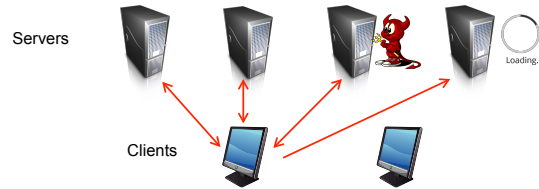


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### Intuition for the Result

- This means that if a client receives  $n - f$  replies, the client needs to determine what the correct answer is. The rest of the replies might never come.
- Upon receiving  $n - f$  replies, how many replies can come from malicious servers (i.e., lies)?
  - Still  $f$ , since a server can just be really slow.

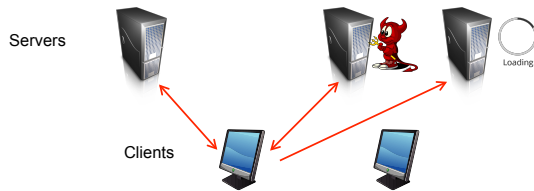


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### Intuition for the Result

- What can be the minimum  $n$  to determine the correct answer?  $n == 2f + 1$ ?
- It doesn't work.
- How can we make it work?
  - If we make sure that  $n - f$  replies always contain more replies from honest nodes than Byzantine nodes, we're safe.

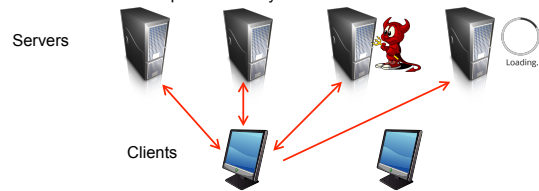


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### Intuition for the Result

- How can we make sure that  $n - f$  replies always contain more replies from honest nodes than Byzantine nodes?
  - We set  $n == 3f + 1$
  - We can always obtain  $n - f$ , i.e.,  $2f + 1$  votes. Then we have at least  $f + 1$  votes from honest nodes, one more than the number of potential faulty nodes.

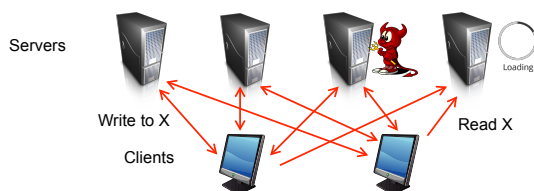


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### Write/Read Example

- One client writes to X.
- A malicious node omits it.
- Another client reads X.
- It can still get the latest write.



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### Summary

- Byzantine generals problem
  - They must decide on a common plan of action.
  - But, some of the generals can be traitors.
- Requirements
  - All loyal generals decide upon the same plan of action (e.g., attack or retreat).
  - A small number of traitors cannot cause the loyal generals to adopt a bad plan.
- Impossibility result
  - In general, with less than  $3f + 1$  nodes, we cannot tolerate  $f$  faulty nodes.

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## Acknowledgements

- These slides contain material developed and copyrighted by Indranil Gupta (UIUC).